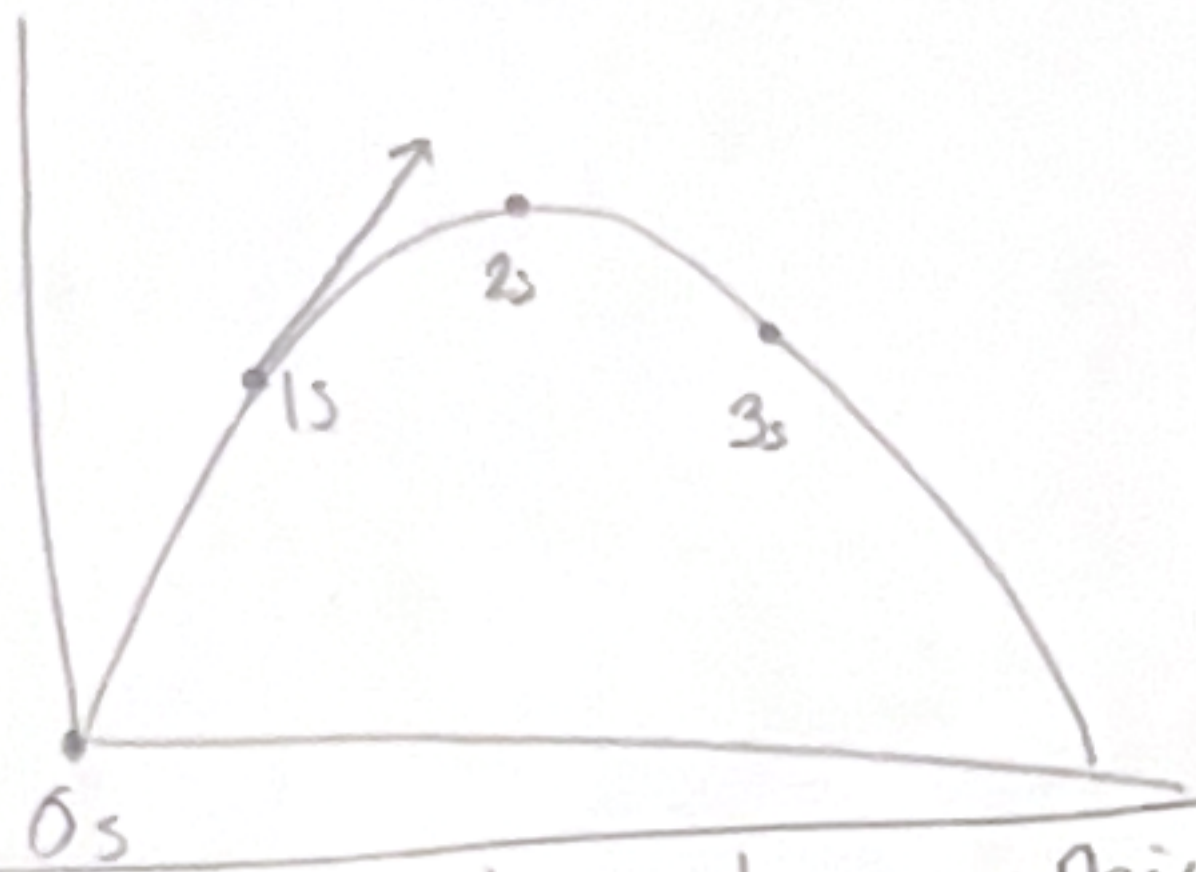


Ch4 p.106 #12

12)



b) My thinking starts here, which ended up being part (b)!

at $t=1$, $v = (2.0\hat{i} + 2.0\hat{j})$ ms



at $t=2$, it is at the max height. Since v_x is constant, the velocity at that time is \rightarrow , with 2.0 m/s, with no v_{fy} since $v_{fy}=0$ at the max ht.

So... the vertical direction has a change in velocity from \uparrow to 0 in 1 second. We can find acceleration from this:

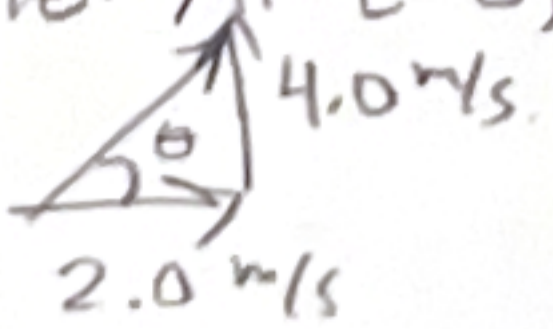
$$v_{fy} = v_{iy} + a\Delta t \quad \text{for the } \Delta t \text{ from } t=1s \text{ to } t=2s$$

$$0 = 2 \text{ m/s} + a(1s)$$

$$-2 \text{ m/s} = a$$

Since $a_y = -g$ for free fall and projectile motion, $g = 2 \text{ m/s}^2$

c) Launch angle: At $t=0$, the velocity was \rightarrow 4.0 m/s, 2.0 m/s

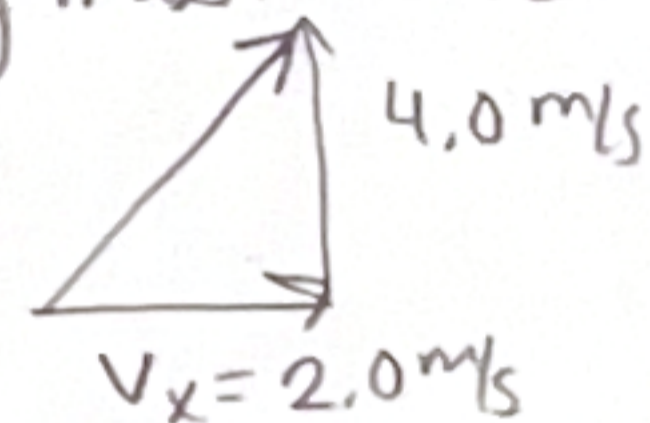


$$\tan\theta = \frac{4.0 \text{ m/s}}{2.0 \text{ m/s}}$$

$$\theta = 63^\circ \text{ above } +x\text{-axis}$$

a) We know v_x is the same at all these times. We can see that from $t=1s$ to $t=2s$, the v_{fy} changed by -2 m/s . Since this is due to the acceleration of gravity on a planet, the acceleration should be the same every second, and the vertical velocity will change by -2 m/s every second.

Therefore, at $t=0$, the components of velocity must have been:

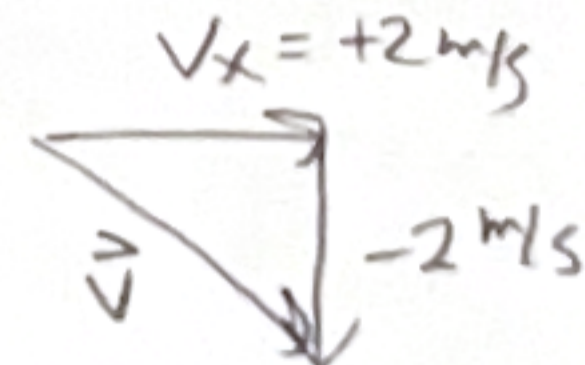


$$\vec{v} = (2.0\hat{i} + 4.0\hat{j}) \text{ m/s}$$

At $t=2s$, v_y is zero, so the velocity is v_x only.

$$\vec{v} = (2.0\hat{i}) \text{ m/s}$$

At $t=3s$, v_y must change from its value the previous second by -2 m/s , so its new value is -2 m/s .



$$\vec{v} = (2.0\hat{i} - 2.0\hat{j}) \text{ m/s}$$